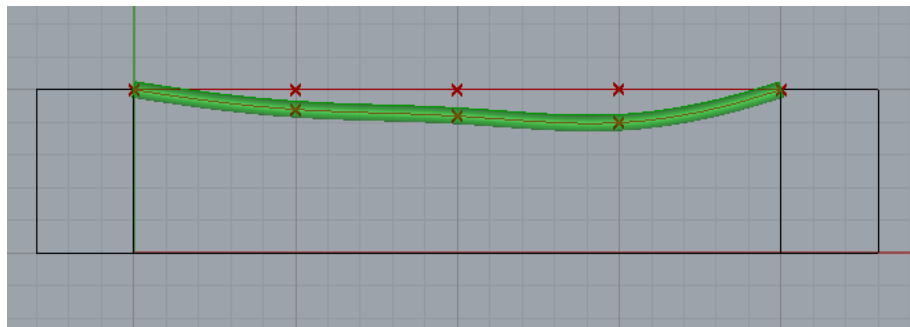
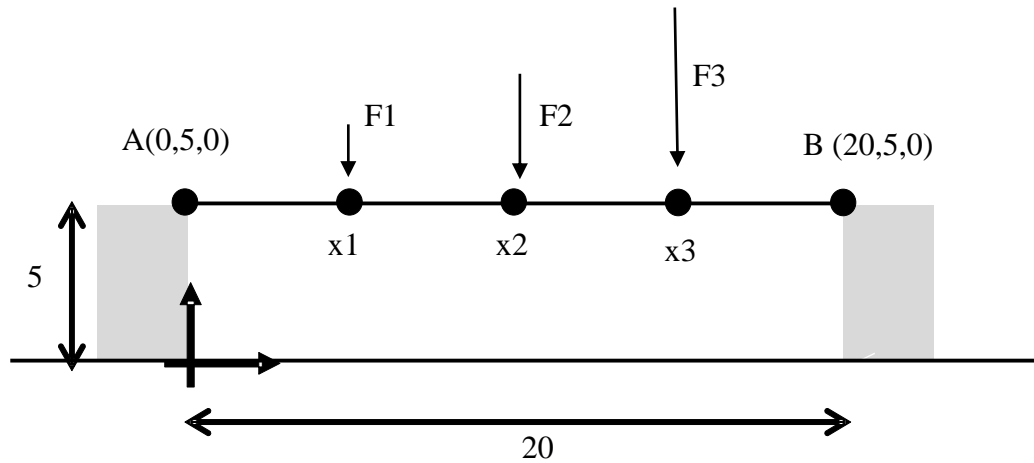


# Miniproject 2 - BEAM DISPLACEMENT



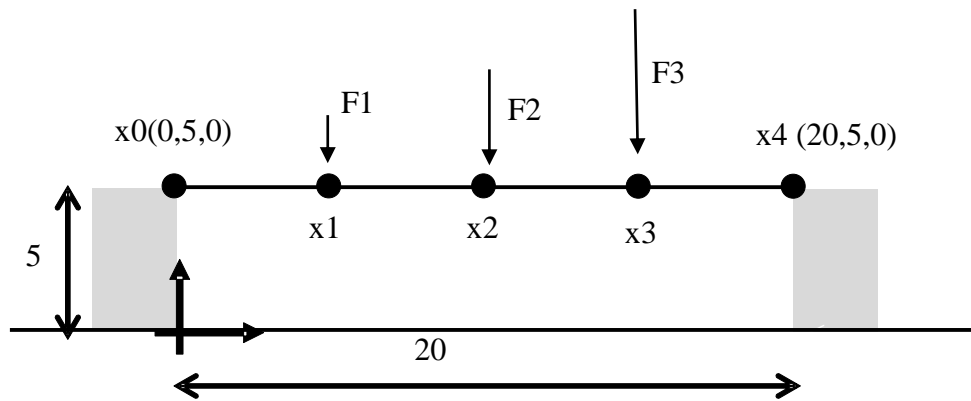
## What you will learn

1. Perform matrix multiplication in Grasshopper with the use of “dot product”
2. Edit a curve shape by changing the coordinates values of its intermediate points

## List of relevant components used

Vector XYZ  
Evaluate curve  
Dot Product  
Merge  
Interpolate Curve

The goal of the exercise is to draw a line representing the beam in its original position and the deflection curve representing the beam subjected to variable loads  $F1$   $F2$   $F3$  at equally spaced points  $x1$   $x2$   $x3$ .



We start by drawing an horizontal line representing the beam (with a method of your choice). To create the equally spaced points  $x0$ ,  $x1$ ,  $x2$ ,  $x3$ ,  $x4$  we use an **Evaluate curve** component (Curve>Analysis).

Evaluate curve uses a parameter  $t$  so that any point on a curve can be identified with a value of  $t$  comprised in a domain that ranges from 0 at the start point, to some number representing the end point of the curve. If you select *Reparametrize* (right click on the C input) we reset the domain to be an interval from 0 to 1, where 0 is the start point of the curve, and 1 is the end point of the curve.

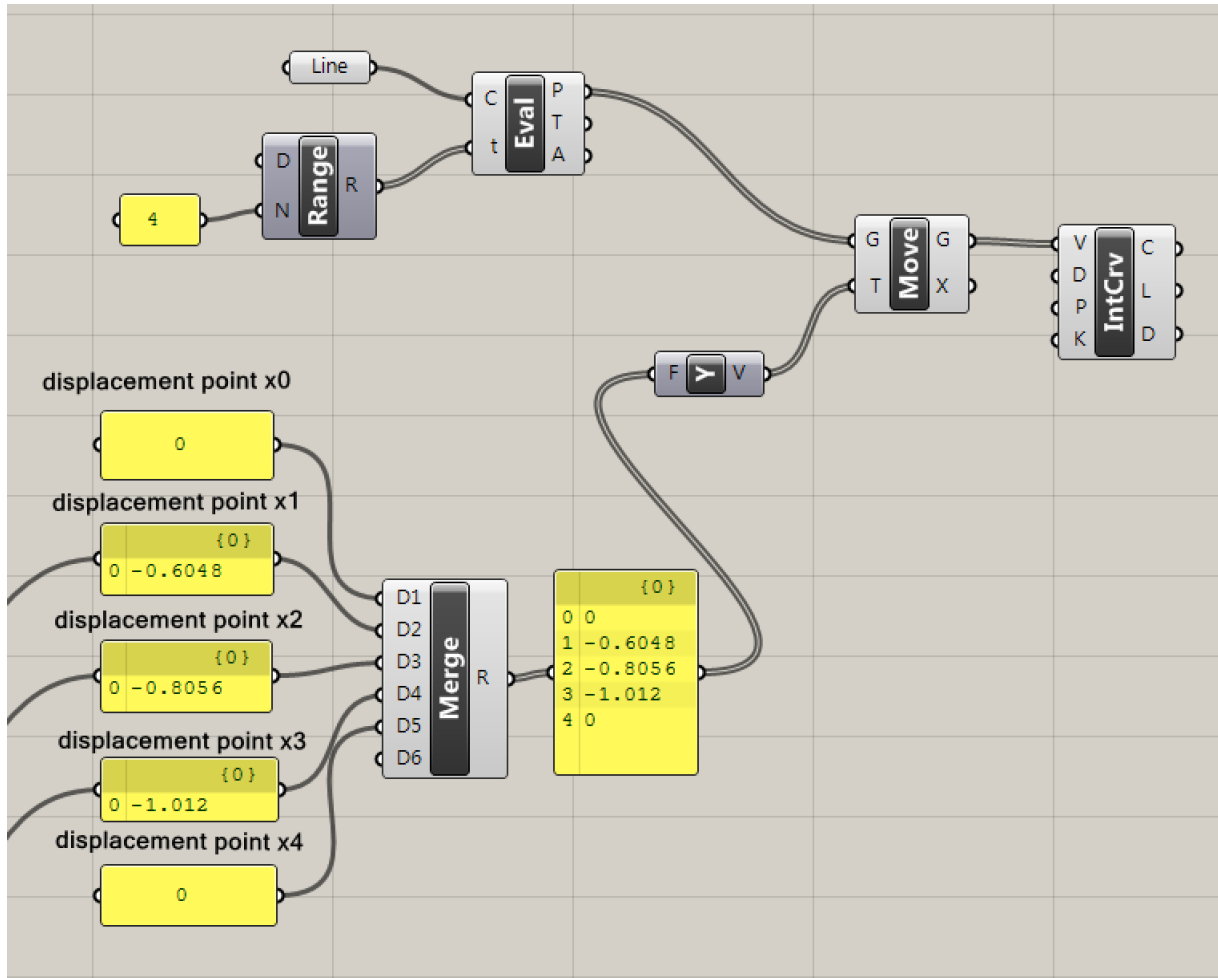


To create with the parameter  $t$  5 equally spaced points on the curve (or line, as in this case) we need to create equally spaced values between a numeric domain from 0 to 1 (you can use the **range** component).

To draw the deflection curve we should first calculate the  $y$  displacement, based on the flexibility matrix  $D$ , of the points contained in the P output of Eval subjected to variable loads  $F1$   $F2$   $F3$  (defined with three sliders).

Once known, the values of displacement are used to move the points in the new position with

a **move** component. To apply the operation at once we can collect the values of displacement in a **merge** component (sets>tree), use the list of values to create the displacement vectors in the y direction. You can draw the deflection curve using a **Interpolate** component (curve>Spline)



Without any calculation we know that the points  $x_0$  and  $x_4$  will not move because they are the support points, therefore the y displacement vector will have magnitude=0.

The magnitude of displacement vectors of points  $x_1$ ,  $x_2$ ,  $x_3$  should be calculated based on the matrix  $D$  and the loads  $F_1$ ,  $F_2$ ,  $F_3$ . You need to perform a matrix multiplication between the flexibility matrix and the vector of loads. The matrix multiplication is not native in grasshopper, therefore you should construct yourself the mechanics of matrix multiplication. **Hint:** the operation can be performed representing the rows of the matrix in grasshopper as vectors, and using the dot product as operator.